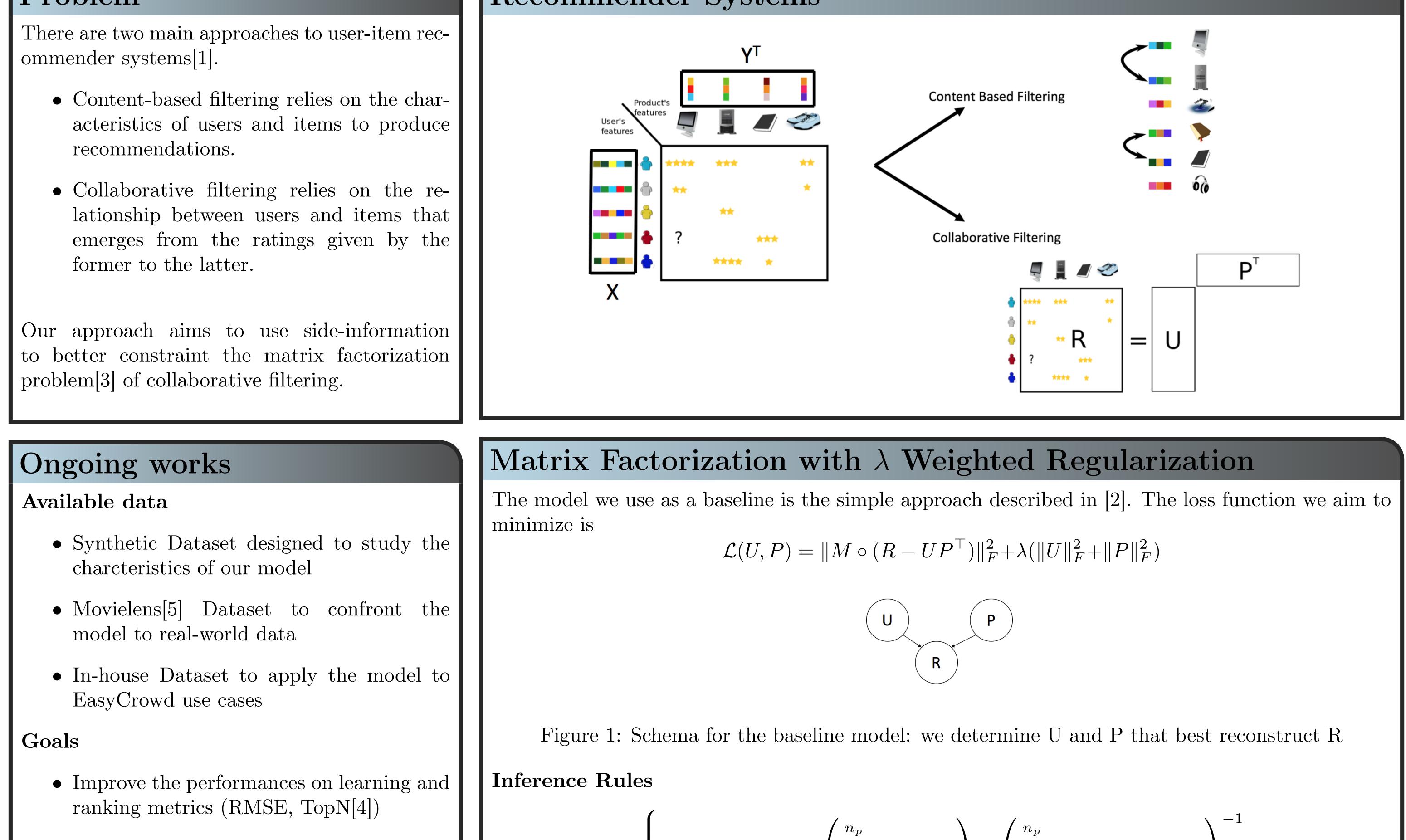
Side Information Regularized Matrix Factorization

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Problem

- acteristics of users and items to produce recommendations.
- lationship between users and items that emerges from the ratings given by the former to the latter.

Recommender Systems



• Address the cold-start problem using side information

Possible Interpretations

- Data Augmentation: Factorization of an extended matrix $\tilde{R} = \begin{bmatrix} R & X \\ Y^{\top} & 0 \end{bmatrix}$
- Joint Embedding
- Probabilistic Bayesian Network

Difficulties

- Many hyper-parameters to fine tune
- Long computation time

References

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- [2] Y. Zhou and D. Wilkinson and R. Schreiber and R. Pa "Large-Scale Parallel Collaborative Filtering for the Netflix Prize, Proceedings of AAIM (2008)

$$\begin{cases} \forall i \in [1, n_u], \mathbf{u}_{i\cdot} = \left(\sum_j m_{ij} r_{ij} \mathbf{p}_{j\cdot}\right) \times \left(\sum_j m_{ij} \mathbf{p}_{j\cdot}^\top \mathbf{p}_{j\cdot} + \lambda I_{n_f}\right) \\ \forall j \in [1, n_p], \mathbf{p}_{j\cdot} = \left(\sum_i m_{ij} r_{ij} \mathbf{u}_{i\cdot}\right) \times \left(\sum_i m_{ij} \mathbf{u}_{i\cdot}^\top \mathbf{u}_{i\cdot} + \lambda I_{n_f}\right)^{-1} \end{cases}$$

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Latent Variables to constraint Side Information

We introduce two latent variables W_U and W_P of respective size $k_u \times n_f$ and $k_p \times n_f$ such that

 $\begin{cases} U^{\top} X W_U = I_{n_f} \\ P^{\top} Y W_P = I_{n_f} \end{cases}$

These matrices will be approximated in a way similar to U and P. Due to the additional degrees of freedom, we must include additional regularization terms. The loss function that we are trying to minimize takes the following form:

> $\mathcal{L}(U, P, W_U, W_P) = \|M \circ (R - UP^{\top})\|_F^2 + \lambda \|U\|_F^2 + \mu \|P\|_F^2$ $+ \gamma \|X - UW_U^{\top}\|_{E}^{2} + \eta \|W_U\|_{E}^{2} + \xi \|Y - PW_P^{\top}\|_{E}^{2} + \theta \|W_P\|_{E}^{2} + \zeta \|W_PW_U^{\top}\|_{E}^{2}$

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- J. Delporte and A. Karatzoglou and T. Matuszczyk and S. Canu: Socially Enabled Preference Learning from Implicit feedback data, Proceedings of ECML/PKDD, Singapore (2013)
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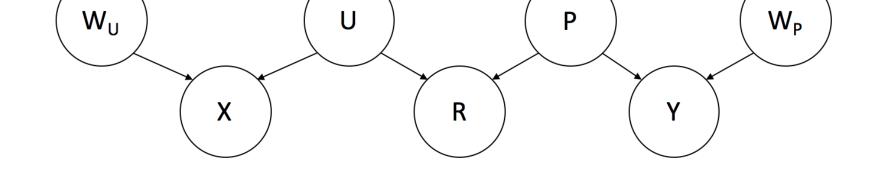


Figure 2: Schema for the SILV model: not only must U and P reconstruct R, but U and W_U (resp. P and W_P) must reconstruct X (resp. Y)

Inference Rules

$$\begin{cases} \forall i \in [1, n_u], \mathbf{u}_{i\cdot} = \left(\sum_{j}^{n_p} m_{ij} r_{ij} \mathbf{p}_{j\cdot} + \gamma \sum_{t}^{k_u} x_{it} \mathbf{w}_{U,t\cdot}\right) \left(\sum_{j}^{n_p} m_{ij} \mathbf{p}_{j\cdot}^\top \mathbf{p}_{j\cdot} + \gamma \sum_{t}^{k_u} \mathbf{w}_{U,t\cdot}^\top \mathbf{w}_{U,t\cdot} + \lambda I_{n_f}\right)^{-1} \\ \forall t \in [1, k_u], \mathbf{w}_{U,t\cdot} = \left(\gamma \sum_{i}^{n_u} x_{it} \mathbf{u}_{i\cdot}\right) \left(\gamma \sum_{i}^{n_u} \mathbf{u}_{i\cdot}^\top \mathbf{u}_{i\cdot} + \eta I_{n_f} + \zeta \sum_{s}^{k_p} \mathbf{w}_{P,s\cdot}^\top \mathbf{w}_{P,s\cdot}\right)^{-1} \end{cases}$$